

## *International Journal of Scientific Research and Reviews*

### **Performance Comparison of Geographic Routing In 3-D, 4-D Spaces**

**Jayachandran. K\***,

Assistant Professor, Bishop Ambrose College., Email-k.jayachandran1988@gmail.com

#### **ABSTRACT**

All geographic routing protocols are designed for 2nd. We have a tendency to gift a unique geographic routing protocol, named MDT, for 2D, 3D, and better dimensions with these properties: (i) warranted delivery for any connected graph of nodes and physical links, and (ii) low routing stretch from economical forwarding of packets out of native minima. The warranted delivery property holds for node locations such as by correct, inaccurate, or discretionary coordinates. The MDT protocol suite includes a packet forwarding protocol beside protocols for nodes to construct and maintain a distributed MDT graph for routing. we have a tendency to gift the performance of MDT protocols in 3D and 4D additionally as performance comparisons of MDT routing versus representative geographic routing protocols for nodes in 2nd and 3D. Experimental results show that MDT provides all-time low routing stretch within the comparisons. What is more, MDT protocols square measure specially designed to handle churn, i.e., Dynamic topology changes because of addition and deletion of nodes and links. Experimental results show that MDT's routing success rate is near to 100% throughout churn and node states converge quickly to an accurate MDT graph when churn.

**KEYWORDS:** Geographic Routing, Delaunay Triangulation

#### **\*Corresponding author**

**Jayachandran.K,**

Assistant Professor,

Bishop Ambrose College

E-mail-k.jayachandran1988@gmail.com

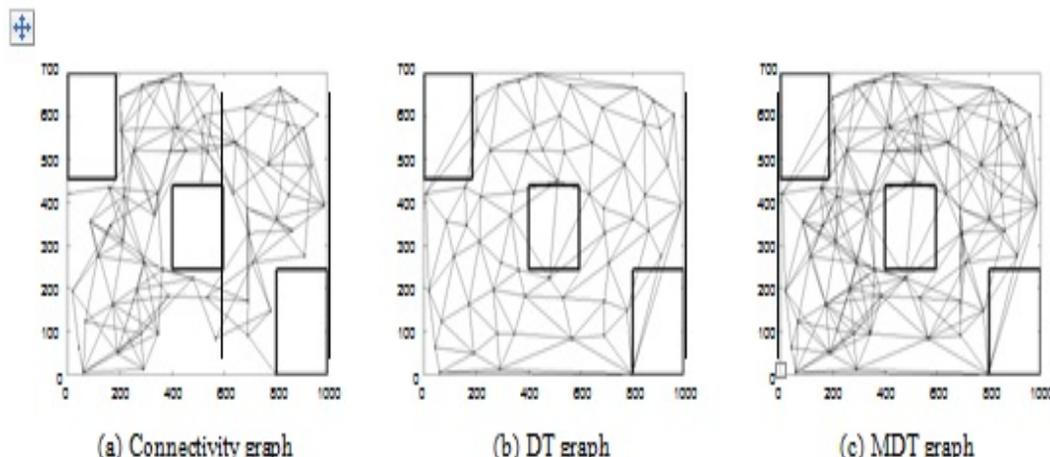
#### **1. INTRODUCTION**

Geographic routing (also referred to as location-based or geometric routing) is enticing as a result of the routing state required for greedy forwarding at every node is freelance of network size. the majority geographic routing protocols are designed for nodes in second. In reality, several wireless applications run on nodes set in 3D. moreover, node location info is also extremely inaccurate or just inaccessible. Consider a network represented by a connected graph of nodes and physical links (to be mentioned as a result of the property graph). Greedy forwarding of a packet is additionally stuck at a region minimum, i.e., the packet is at a node nearer to the packet's destination than any of the node's directly-connected neighbors. Geographic routing protocols dissent primarily in their recovery ways designed to maneuver packets out of native minima. For general property graphs in 3D, face routing ways designed for second are not applicable. What's a lot of, Durocher et al. tried that there is no "local" routing protocol that offers secured delivery, even beneath the durable assumptions of a "unit ball graph" and proper lo- particle knowledge. Thus, arising with a geographic routing protocol that offers secured delivery in 3D might be a tough draw back. During this paper a completely unique geographic routing protocol, MDT that has secure delivery for a network of nodes in an exceedingly d-dimensional house, for  $d \geq 2$ . The secure delivery property is tried for node locations such as by absolute coordinates; so the property additionally holds for node locations such as by inaccurate coordinates or correct coordinates. we tend to show by experimentation that MDT routing provides a routing (distance) stretch about to one for nodes in second and 3D once coordinates specifying node locations are correct.

When coordinates specifying node locations are extremely inaccurate, we tend to show that MDT routing provides an occasional routing (distance) stretch relative to different geographic routing protocols. Nodes can also be indiscriminately set during a virtual house with packets routed by MDT exploitation the coordinates of nodes within the virtual house (instead of their coordinates in physical space). During this case, MDT routing still provides secured delivery however {the distance|the house |the gap} stretch in physical space could also be high.

Geographic routing in a very virtual area is helpful for networks without location info or networks within which the routing value between 2 directly-connected neighbors is neither a continuing nor proportional to the physical distance between them (such as, ETT<sup>5</sup>). for instance, a 4D virtual area are often used for geographic routing of nodes physically settled in a very 3D area. the additional dimension makes it potential to assign nodes to locations within the virtual area specified the geometer distance between every try of nodes within the virtual area could be a smart estimate of the routing value between them. the look of a positioning system to plant routing prices in a very virtual area could be a difficult downside for wireless networks while not any-to-any routing support and on the far side the scope of this paper. the matter is solved in a very companion

paper wherever we have a tendency to show the way to (i) build use of MDT protocols to plant routing prices in virtual areas (such as 4D), and (ii) extend MDT routing to optimize end-to-end path prices for any additive routing metric. MDT was designed to leverage the secured delivery property of Delaunay triangulation (DT) graphs. For nodes in second, Satyendra N. Bose and Morin tested that greedy routing in a very DT forever finds a given destination node .



**Figure 1: 2D space with obstacle and Arbitrary Connectivity Graph**

Figure 1(a) shows a 2D space with three large obstacles and an arbitrary connectivity graph. Figure 1(b) shows the DT graph of the nodes in Figure 1(a). In the DT graph, the dashed lines denote DT edges between nodes that are not connected by physical links. The MDT graph of the connectivity graph in Figure 1(a) is illustrated in Figure 1(c). By definition, the MDT graph includes every physical link in the connectivity graph and every edge in the DT graph. In MDT routing, when a packet is stuck at a local minimum of the connectivity graph, the packet is next forwarded, via a virtual link, to the DT neighbor that is closest to the destination. In short, the recovery method of MDT is to forward greedily in the DT graph which is guaranteed to succeed.

In this paper, we tend to gift MDT protocols for a group of nodes to construct and maintain an accurate multi-hop DT (formal definition in Section 2). In a very multi-hop DT, 2 nodes that are unit neighbors within the DT graph communicate directly if there's a physical link between them; otherwise, they impart via a virtual link, i.e., a path provided by soft-state forwarding tables in nodes on the trail. MDT protocols are also area unit designed especially for networks wherever node churn and link churn are nontrivial issues. For instance, in a very wireless community network, nodes be part of and leave whenever computers within the community area unit power-driven on and off. What is more, the standard of wireless links might vary wide over time for several reasons (e.g., attenuation effects, external interference, and weather conditions). Link quality fluctuations cause

dynamic addition and deletion of physical links within the property graph used for MDT routing.

## 2. FORWARDING PROTOCOL

The key plan of MDT forwarding at a node, say  $u$ , is conceptually simple: For a packet with destination  $d$ , if  $u$  isn't an area minimum, the packet is forwarded to a physical neighbor highest to  $d$ ; else, the packet is forwarded, via a virtual link, to a multi-hop DT neighbor highest to  $d$ . For additional elaborate specification, take into account a node  $u$  that has received an information message  $m$  to forward. Node  $u$  stores it with the format:  $m = \langle m.dest, m.source, m.relay, m.data \rangle$  in an exceedingly native arrangement, where  $m.dest$  is that the destination location,  $m.source$  is that the supply node,  $m.relay$  is that the relay node, and  $m.data$  is that the payload of the message. Note that if  $m.relay = null$ , message  $m$  is traversing a virtual link.

## 3. MDT PROTOCOL

In addition to the forwarding protocol, MDT includes join, maintenance, leave, failure, and initialization protocols. The join protocol is designed to have the following correctness property: Given a system of nodes maintaining a correct multi-hop DT, after a new node has finished joining the system, the resulting multi-hop DT is correct. This property ensures that a correct multi-hop DT can be constructed for any system of nodes by starting with one node,  $u$  with  $F_u = 0$  initially, which is a correct multi-hop DT by definition.

Two nodes are said to join a system *concurrently* if their join protocol executions overlap in time. When two nodes join concurrently, the joins are *independent* if the sets of nodes whose states are changed by the join protocol executions do not overlap. For a large network, two nodes joining different parts of the network are likely to be independent. If nodes join a correct multi-hop DT concurrently and independently using the MDT join protocol, the resulting multi-hop DT is also guaranteed to be correct.

The maintenance protocol is intended to repair errors in node states when synchronous joins that are unit dependent, when nodes leave or fail, when the addition of physical links, and when the deletion of existing physical links (due to, for instance, degraded link quality). Experimental results show that is part of and maintenance protocols are a unit ample for a system of nodes to endure dynamic topology changes and their multi-hop DT to converge to 100 percent accuracy.

MDT includes leave and failure protocols designed for one leave and failure, severally, for 2 reasons: (i) A departed node has most recovery data in its state to tell its neighbors the way to repair their states. Such recovery data isn't offered to the upkeep protocol and would be lost if not provided by a leave or failure protocol before the node leaves or fails. (For failure recovery, every node  $u$  pre-stores the recovery information in a very elite neighbor that is  $u$ 's monitor node.) so having leave and failure protocols permits the upkeep protocol, that includes a higher communication price,

to run less oftentimes than otherwise. (ii) synchronal joint, leave, and failure occurrences in several components of an oversized network square measure usually freelance of every different.

After a leave or failure, node states is quickly and effectively repaired by leave and failure protocols while not looking ahead to the upkeep protocol to run. Thanks to house limitation herein, the leave and failure protocols area unit bestowed in our technical report.

For a multi-hop DT, additionally to constructing and maintaining a distributed DT, be part of and maintenance protocols insert tuples into forwarding tables and update some existing tuples to properly construct ways between multi-hop neighbors. Leave, failure, and maintenance protocols construct a replacement path between 2 multi-hop neighbors whenever the previous path between them has been broken thanks to a node leave/failure or a link deletion.

The search terminates when node  $w$  finds no more new neighbor in the replies. The MDT join protocol also constructs a forwarding path between  $w$  and every one of its multi-hop DT neighbors. A more detailed protocol description follows.

### **Finding the closest node and path construction**

Node  $w$  joints by causation a join request to node  $v$  with its own location because the destination location. MDT forwarding is employed to forward the joint request to a DT node  $z$  that's nearest to  $w$  (success is warranted by Theorem 1). A forwarding path between  $w$  and  $z$  is made as follows. Once  $w$  sends joint request to  $v$ , it stores the tuple  $\langle -, -, v, v \rangle$  in its forwarding table. later on, suppose Associate in Nursing intermediate node (say  $u$ ) receives the joint request from a one-hop neighbor (say  $v$ ) and forwards it to a one-hop neighbor (say  $e$ ), the tuple  $\langle w, v, e, e \rangle$  is keep in  $F_u$ . When node  $z$  receives the join request of  $w$  from a one-hop neighbor (say  $d$ ), it stores the tuple  $\langle -, -, d, w \rangle$  in its forwarding table for the reverse path. Joint reply is forwarded on the reverse path from  $z$  to  $w$  exploitation tuples keep once joint request traveled from  $w$  to  $z$  earlier. in addition, every such tuple is updated with  $z$  as associate degree end. for instance, suppose node  $x$  receives a join reply from  $z$  to  $w$  from its one-hop neighbor  $e$ . Node  $x$  changes the present tuple  $\langle e, e, *, w \rangle$  in  $F_x$  to  $\langle z, e, *, w \rangle$ , wherever  $*$  denotes any node already within the tuple. After node  $w$  has received the join reply, it notifies every of its physical neighbors that  $w$  is currently connected to the DT and that they ought to modification their tuple for  $w$  from  $\langle -, -, w, - \rangle$  to  $\langle -, -, w, w \rangle$ .

### **Physical-link shortcuts**

The be part of reply message, at any node on the trail from  $z$  to  $w$  (including node  $z$ ), is transmitted on to  $w$  if node  $w$  could be a physical neighbor (i.e., for message  $m$ , there's a tuple

$t$  within the forwarding table specified  $t.\text{succ} = m.\text{dest}$ ). If such a physical-link road is taken, the trail antecedently originated between  $z$  and  $w$  is modified. Tuples with  $z$  and  $w$  as endpoints hold on by nodes within the abandoned portion of the previous path are deleted as a result of they'll not be fresh by the endpoints.

A physical-link road may also be taken once different messages within the MDT be part of, maintenance, leave, and failure protocols area unit forwarded, however they need the stronger condition,  $t.\text{succ} = t.\text{dest} = m.\text{dest}$ , that is, the road is taken as long as  $m.\text{dest}$  could be a physical neighbor hooked up to the DT.

### FindingDTneighbors

Node  $w$ , when receiving joint reply from node  $z$ , sends a neighbor-set request to  $z$  for neighbour info. At this point,  $C_z$ , the set of nodes famous to  $z$  includes each  $w$  and  $z$ . Node  $z$  computes  $DT(C_z)$ , finds nodes that neighbours of  $w$  in  $DT(C_z)$ , and sends them to  $w$  during a neighbour-set reply message.

When  $w$  receives the neighbor-set reply from  $z$ ,  $w$  adds neighbors within the reply (if any) to its candidate set,  $C_w$ , and updates its neighbor set,  $N_w$ , from computing  $DT(C_w)$ . If  $w$  finds new neighbours in northwest,  $w$  sends neighbor-set requests to them for a lot of neighbor info. The connection node  $w$  repeats the on top of method recursively till it cannot notice any further new neighbor in northwest. At this point  $w$  has with success joined and become a DT node. Nodes in copper, the set of nodes famous to a node  $u$ , ar maintained as laborious states in distributed DT protocols. In MDT protocols, nodes in copper ar maintained as soft states. A lot of specifically, tuples in  $F_u$  ar maintained as soft states. By definition,  $\text{copper} = \cup v = t.\text{dest}, t \in F_u$ . a replacement node in copper is deleted if it doesn't become the destination of a tuple in  $F_u$  at intervals a timeout amount. Also, whenever a tuple  $t$  is deleted from  $F_u$ , its endpoints ar deleted from copper.

### Pathconstructionto multi-hopDTneighbors.

The MDT joint protocol conjointly constructs a forwarding path between the connection node  $w$  and every of its multi-hop neighbors. Whenever  $w$  learns a replacement node  $y$  from the be part of reply or a neighbor-set reply sent by some node, say  $x$ , node  $w$  sends a neighbor-set request to  $x$ , with  $x$  because the relay and  $y$  because the destination (that is, in neighbor-set request  $m$ ,  $m.\text{relay} = x$  and  $m.\text{dest} = y$ .) Note that a forwarding path has already been established between  $w$  and  $x$ . Also, since  $x$  and  $y$  area unit DT neighbors, a forwarding path exists between  $x$  and  $y$  (given that  $w$  is connection an accurate multi-hop DT). because the neighbor-set request is forwarded and relayed from  $w$  to  $y$ , tuples with  $w$  and  $y$  as endpoints area unit keep in forwarding tables of nodes on the trail from  $w$  to  $y$ . The forwarding path that has been found out between  $w$  and  $y$  is then

utilized by y to come back a neighbor-set reply to w.

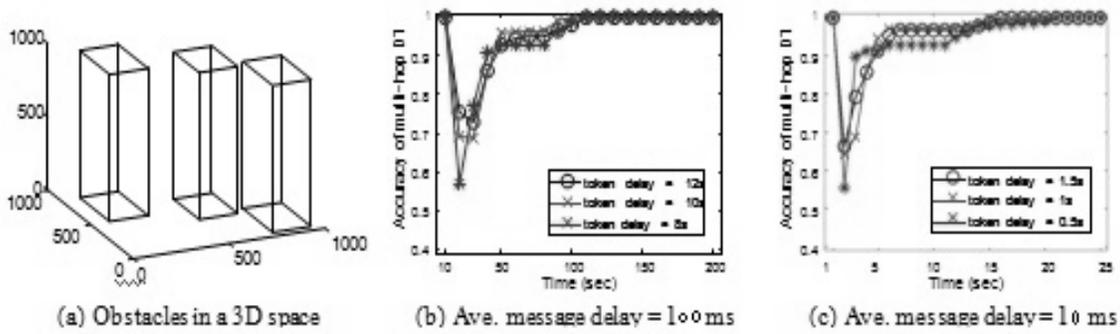


Figure 2: Accuracy Vs. Time for concurrent joins in 3D

**System initialization**

Figures 3(b)-(c) show results from 2 sets of experiments using concurrent-join data formatting. In every experiment, the physical area could be a thousand  $\times$  a thousand  $\times$  a thousand 3D area, with 3 massive obstacles, placed as shown in Figure 3(a). The scale of 1 obstacle is two hundred  $\times$  three hundred  $\times$  a thousand. every of the opposite 2 is two hundred  $\times$  350  $\times$  a thousand in size. The obstacles occupy two hundredth of the physical area.

**4. MDT PERFORMANCE**

**4.1. 3-Dimensional**

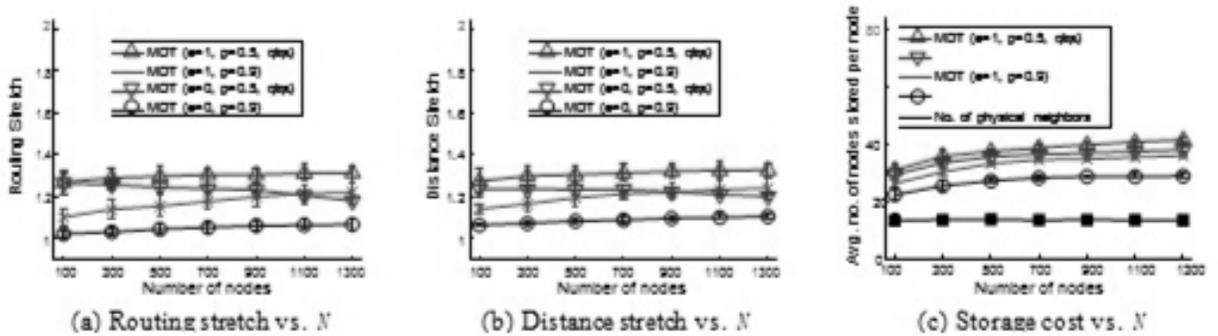


Figure 3: MDT Performance in 3D (average node degree=13.5)

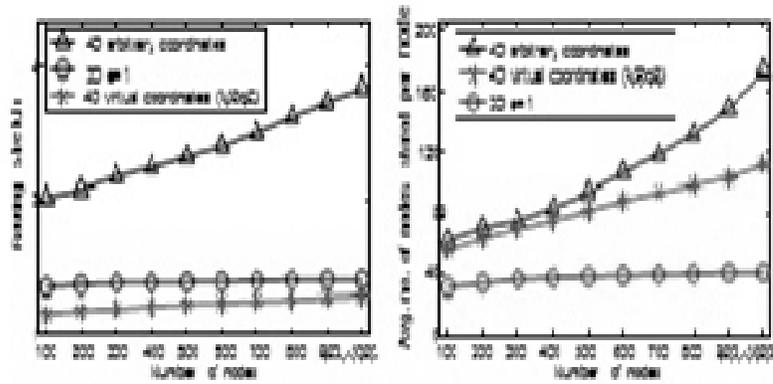


Figure 4: MDT performance in 3D and 4D ( $p=0.5$  obstacles)

For 300 nodes, dimensions of the physical space and obstacles are the same as in Figure 2(a). For smaller (or larger) number of nodes, dimensions of the physical space and obstacles are scaled down (or up) proportionally. For each *ob* experiment, the three obstacles are randomly placed in the horizontal plane.  $R=305$  is used for  $p=0.5$  and  $R=250$  is used for  $p=0.9$  such that the average node degree is approximately 13.5. At the beginning of each experiment, a correct multi-hop DT was first constructed. **Storage Cost:** the foremost necessary routing info held on an exceedingly node is that the set of nodes it uses for forwarding; the identified coordinates of every node within the set square measure hold on an exceedingly location table. The storage value is measured by the typical number of distinct nodes a node has to apprehend (and store) to perform forwarding. This represents the storage value of a node's minimum needed information of different nodes.

#### 4.2. 4-Dimensional

For comparison, we've conjointly aforethought the results for MDT routing exploitation inaccurate coordinates ( $e = one$  case from Figure 3). Figure 4(a) on routing stretch, aforethought in graduated table, shows that MDT routing exploitation 4D virtual coordinates is best than exploitation in-correct coordinates in 3D. Figure 5(b) on storage value shows that MDT routing exploitation inaccurate coordinates in 3D is best than using 4D virtual coordinates. In each figures, MDT routing exploitation arbitrary coordinates has the worst performance. Routing success rate was 100 percent in each experiment and isn't depicted.

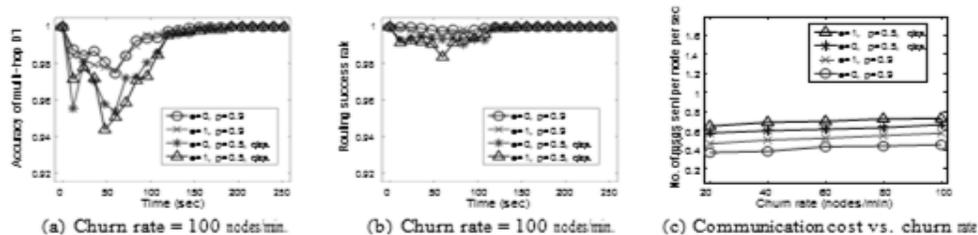


Figure 5: MDT performance under node churn (message delay = 150 ms. Timeout=60 sec)

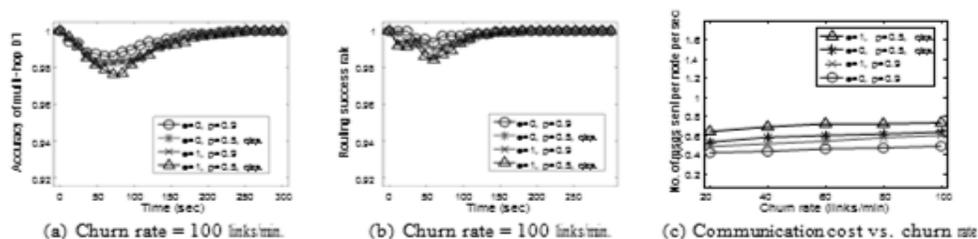


Figure 6: MDT performance under Link churn ( message delay=150 ms, timeout = 60 sec)

## 5. CONCLUSION

MDT is that the solely geographic routing protocol that gives guaranteed delivery in 2nd, 3D, and better dimensions. The graph of nodes and physical links is needed to be connected, however might otherwise be impulsive. MDT's secured delivery property holds for nodes with correct, inaccurate, or impulsive coordinates.

## REFERENCES

1. S. M. N. Alam and Z. J. Haas. Coverage and Connectivity in Three-Dimensional Networks. In *Proc. of ACM Mobicom*, 2006.
2. S. Durocher, D. Kirkpatrick, and L. Narayanan. On Routing with Guaranteed Delivery in Three-Dimensional Ad Hoc Wireless Networks. In *Proceedings of ICDCN*, 2008.
3. R. Flury and R. Wattenhofer. Randomized 3D Geographic Routing. In *Proceedings of IEEE Infocom*, 2008.
4. P. Bose, P. Morin, I. Stojmenovic, and J. Urrutia. Routing with Guaranteed Delivery in Ad Hoc Wireless Networks. In *Proc. of the International Workshop on Discrete Algorithms and Methods for Mobile Computing and Communications (DIALM)*, 1999.
5. B. Karp and H. Kung. Greedy Perimeter Stateless Routing for Wireless Networks. In *Proceedings of ACM Mobicom*, 2000.
6. Y.-J. Kim, R. Govindan, B. Karp, and S. Shenker. Geographic Routing Made Practical. In *Proceedings of USENIX NSDI*, 2005.
7. P. Bose and P. Morin. Online routing in triangulations. *SIAM journal on computing*, 2004;

- 33(4):937–951,
8. M. Caesar, M. Castro, E. B. Nightingale, G. O’Shea, and A. Rowstron. Virtual Ring Routing: Networking Routing Inspired by DHTs. In *Proceedings of ACM Sigcomm*, 2006.
  9. R. Draves, J. Padhye, and B. Zill. Routing in Multi-radio, Multi-hop Wireless Mesh Networks. In *Proceedings of ACM Mobicom*, 2004.
  10. S. Fortune. Voronoi diagrams and Delaunay triangulations. In J. E. Goodman and J. O’Rourke, editors, *Handbook of Discrete and Computational Geometry*. CRC Press, second edition, 2004.
  11. K. R. Gabriel and R. R. Sokal. A New Statistical Approach to Geographic Variation Analysis. *Systematic Zoology*, 1969.
  12. J. Gao, L. Guibas, J. Hershberger, L. Zhang, and A. Zhu. Geometric spanner for routing in mobile networks. In *Proc. MobiHoc*, 2001.
  13. S. S. Lam and C. Qian. Geographic Routing in  $d$ -dimensional Spaces with Guaranteed Delivery and Low Stretch. Technical Report TR-10-03, The Univ. of Texas at Austin, Dept. of Computer Science, January 2010 (revised, October 2010).
  14. Simon S Lam and Chen Quian. Geographical Routing in  $d$ -dimensional spaces with guaranteed delivery, 2011.
  15. D.-Y. Lee and S. S. Lam. Protocol design for dynamic Delaunay triangulation. Technical Report TR-06-48, The Univ. of Texas at Austin, Dept. of Computer Sciences, December 2006.
  16. M. Vinod Kumar, Field Programmable GA based approach for Packet deduplication in high speed mobile networks, ISSN 22493352, June 2018.